# Excited state dynamics in Zn phthalocyanines

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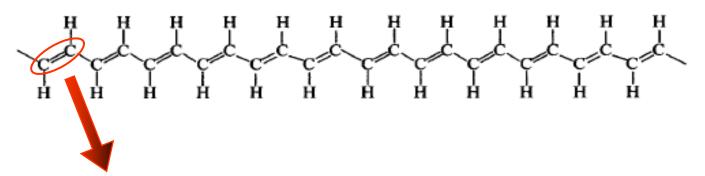


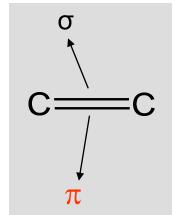




### Organic materials

- Flexibility to tune the nonlinear optical response by manipulating the molecular structure
- π-conjugated structures





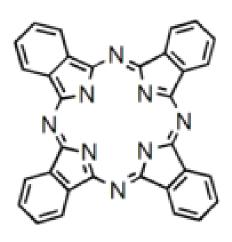
 $\pi$  - conjugated system: delocalized electrons



### Macrocycles



porphyrin

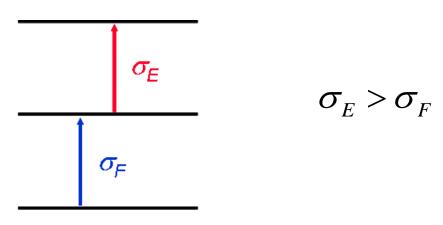


phthalocyanine

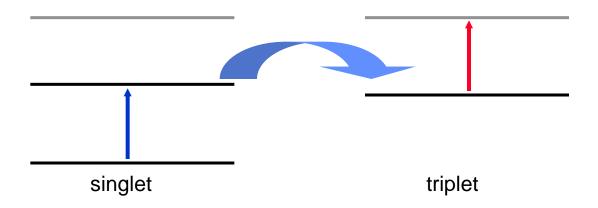
- •Macrocyclic organic compounds such as porphyrins and phthalocyanines exhibit large optical nonlinearities
- Present intense reverse saturable absorption (RSA)

### Reverse saturable absorption - (RSA)

The excited cross-section exceeds that of the ground state.



Usually, RSA follows from an intersystem crossing process from a higher excited singlet to an triplet state.



### **Applications**

#### Photodynamic therapy

Generation of singlet oxygen through the interaction of oxygen with triplet macrocycles



#### Optical limiting

To protect eye and sensors from intense laser pulses



### Samples

One way to screening materials for a specific application is through the knowledge of their excited state properties, which can be obtained using nonlinear optical techniques.

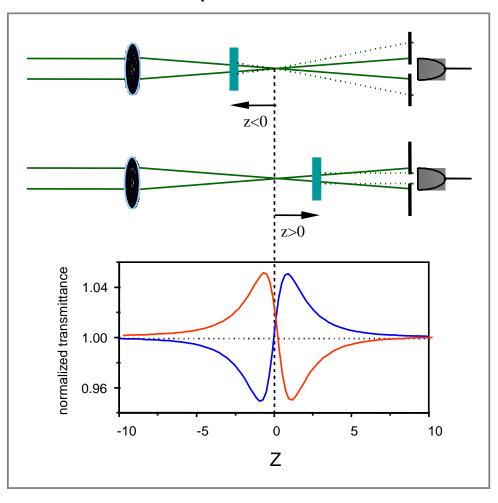
ZnPc, FePc, PdPc

F<sub>16</sub>ZnPc

Samples in DMSO solution

### Z-scan technique

#### closed aperture Z-scan



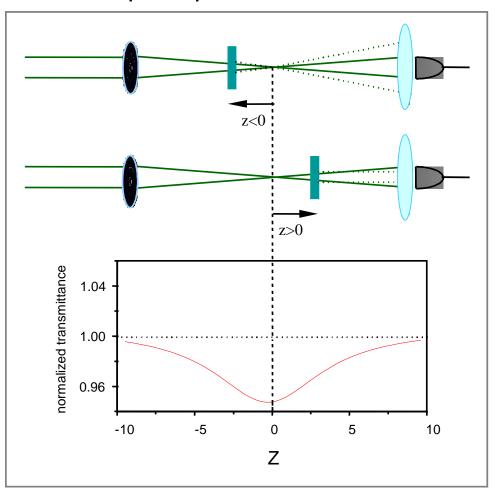
#### Nonlinear refraction

$$n = n_0 + n_2 I$$

$$\Delta T \propto n_2 I$$

### Z-scan technique

#### open aperture Z-scan



#### Nonlinear absorption

- Saturation of absorption
- Reverse Saturation of abs
- Two-photon absorption

$$\alpha(I) = \alpha_0 + \beta I$$

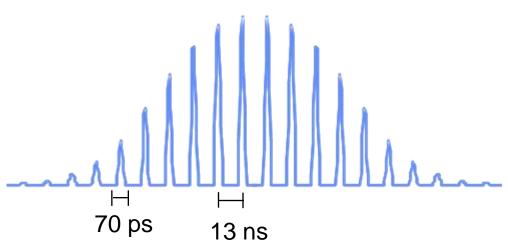
$$\Delta T \propto \beta I$$



Dynamic of these processes

## Z-scan with pulse trains

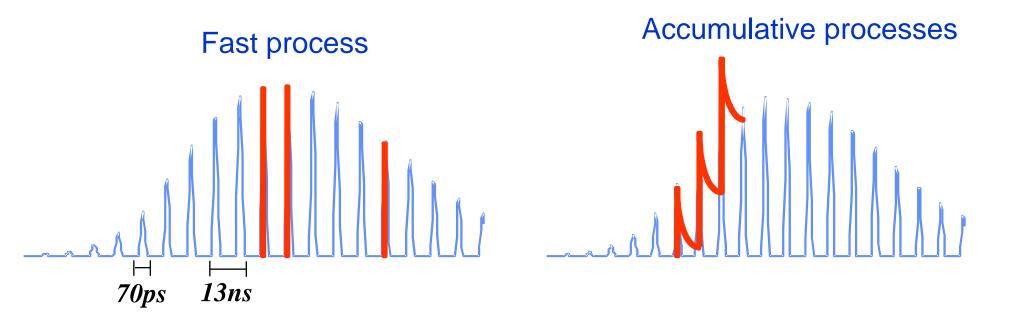




- Nd:YAG Q-switched/modelocked laser
  - 532nm and 1064 nm
  - 70 ps

#### Pulse train Z-scan

Allows the discrimination between fast and accumulative contributions

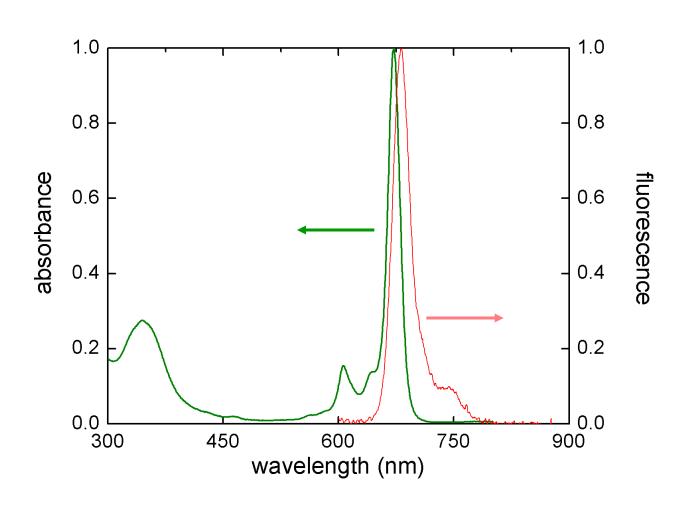


Dynamic of the nonlinear response

### Nonlinear absorption dynamics

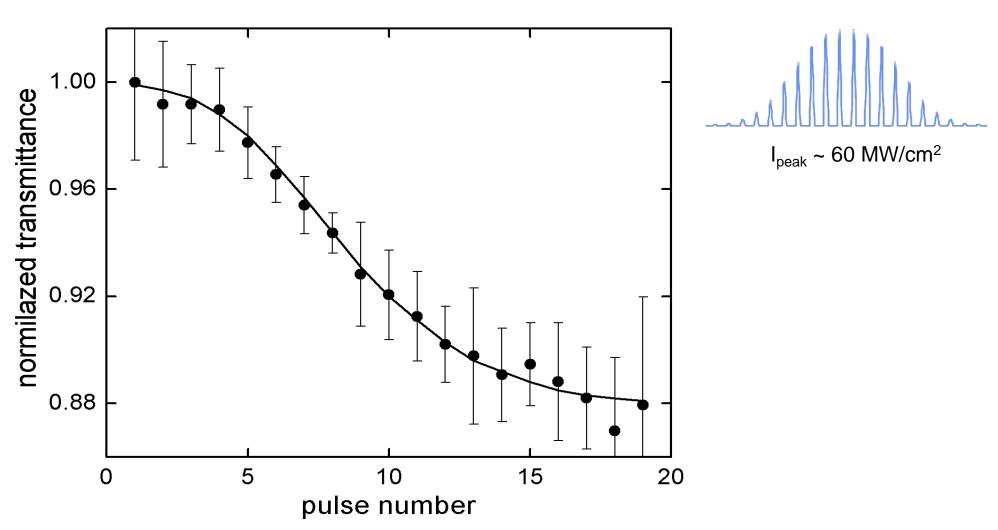
# Zn phtalocyanine (ZnPc)

$$√\sigma_{01} = 0.5 \times 10^{-17} \text{ cm}^2$$
 $√\tau_f = 4.3 \text{ ns}$ 



Fluorescence excited at 532 nm

### Pulse train Z-scan



acummulative effect

### Pulse train Z-scan

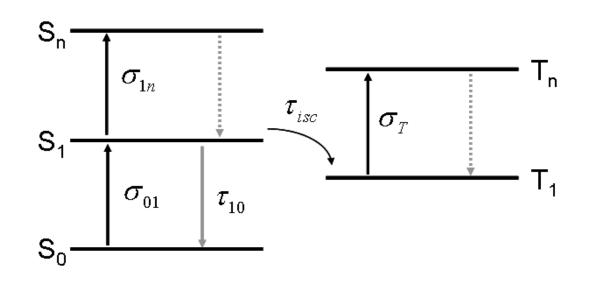
#### Modeling the nonlinear absorption

$$\frac{dn_{S_0}}{dt} = -n_{S_0}W_{01} + \frac{n_{S_1}}{\tau_{10}}$$

$$\frac{dn_{S_1}}{dt} = n_{S_0}W_{01} - \frac{n_{S_1}}{\tau_{10}} - \frac{n_{S_1}}{\tau_{isc}}$$

$$\frac{dn_{T_1}}{dt} = \frac{n_{S_1}}{\tau_{isc}}$$

$$\tau_{f}^{-1} = \tau_{isc}^{-1} + \tau_{10}^{-1}$$



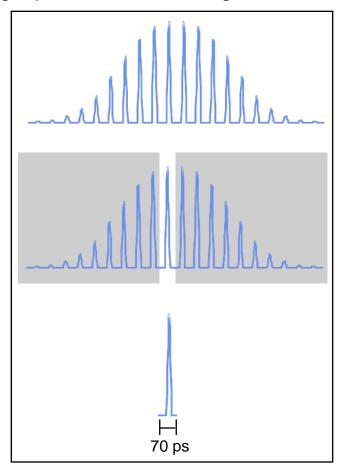
$$\alpha(t) = N \left\{ n_0(t) \sigma_{01} + n_1(t) \sigma_{1n} + n_{T_1}(t) \sigma_T \right\}$$

three fitting parameters

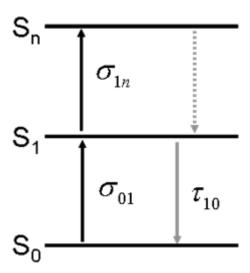
$$\sigma_{1n}$$
  $\sigma_{T}$   $au_{isc}$ 

### Single pulse Z-scan

Single-pulse selection using a Pockell cell



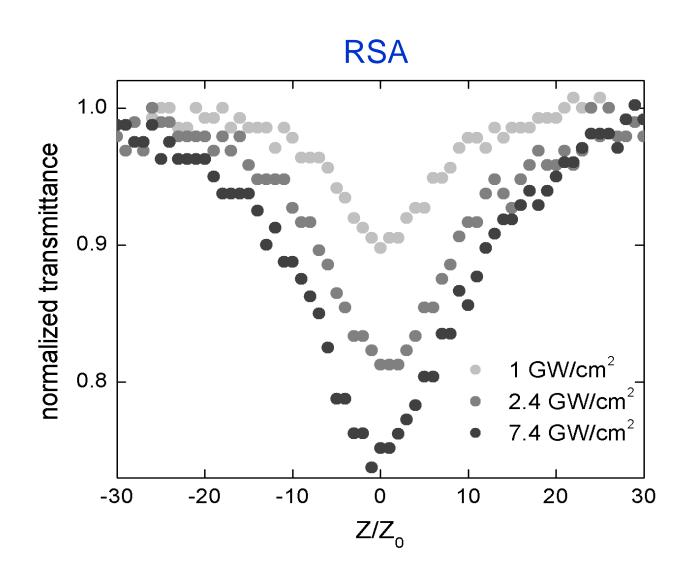
As the pulse duration is 70 ps, we do not observe the triplet state



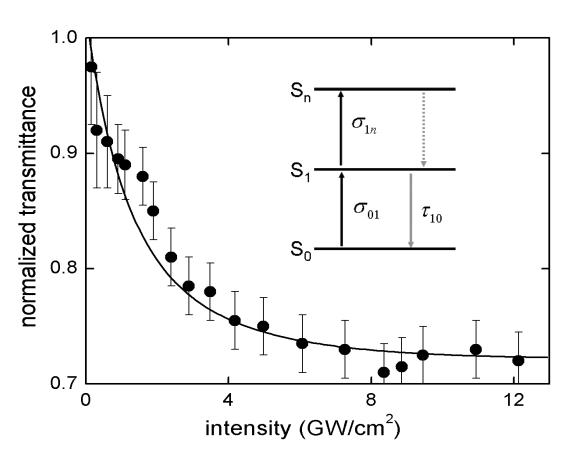
one fitting parameter  $\sigma_{\!\scriptscriptstyle 1n}$ 

### Single pulse Z-scan

We perform regular Z-scan measurements with the single pulse



### Single pulse Z-scan



$$\frac{dn_{S_0}}{dt} = -n_{S_0}W_{01} + \frac{n_{S_1}}{\tau_{10}}$$

$$\frac{dn_{S_1}}{dt} = n_{S_0} W_{01} - \frac{n_{S_1}}{\tau_{10}}$$

$$\tau_f = \tau_{10}$$

$$\alpha(t) = N\left\{n_0(t)\sigma_{01} + n_1(t)\sigma_{1n}\right\}$$

#### known parameter

$$\sigma_{01} = 0.5 \text{ x } 10^{-17} \text{ cm}^2$$

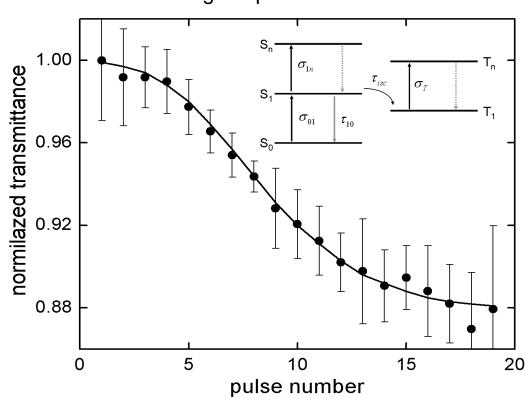
$$\tau_f = 4.3 \text{ ns}$$

#### determined parameter

$$\sigma_{1n} = 1.6 \times 10^{-17} \text{ cm}^2$$

### Pulse train Z-scan





$$\frac{dn_{S_0}}{dt} = -n_{S_0}W_{01} + \frac{n_{S_1}}{\tau_{10}}$$

$$\frac{dn_{S_1}}{dt} = n_{S_0}W_{01} - \frac{n_{S_1}}{\tau_{10}} - \frac{n_{S_1}}{\tau_{isc}}$$

$$\frac{dn_{T_1}}{dt} = \frac{n_{S_1}}{\tau_{isc}}$$

$$\tau_{f}^{-1} = \tau_{isc}^{-1} + \tau_{10}^{-1}$$

$$\alpha(t) = N \left\{ n_0(t) \sigma_{01} + n_1(t) \sigma_{1n} + n_{T_1}(t) \sigma_T \right\}$$

#### known parameter

$$\sigma_{01} = 0.5 \times 10^{-17} \text{ cm}^2$$

$$\sigma_{1n} = 1.6 \times 10^{-17} \text{ cm}^2$$

$$\checkmark \tau_f = 4.3 \text{ ns}$$

#### determined parameter

$$\sigma_{T} = 1.3 \times 10^{-17} \text{ cm}^{2}$$

$$\tau_{\rm isc} = 8.9 \text{ ns}$$

# Nonlinear absorption dynamics

Pulse train Z-scan

$$\lambda = 532 \text{ nm}$$

• 
$$\sigma_{01} = 0.5 \times 10^{-17} \text{ cm}^2$$

• 
$$\sigma_{1n} = 1.6 \times 10^{-17} \text{ cm}^2$$

• 
$$\sigma_T = 1.3 \times 10^{-17} \text{ cm}^2$$

• 
$$\tau_f = 4.3 \text{ ns}$$

• 
$$\tau_{isc} = 8.9 \text{ ns}$$

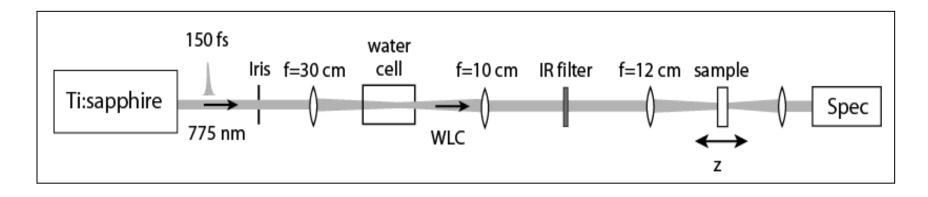
cross-section rate

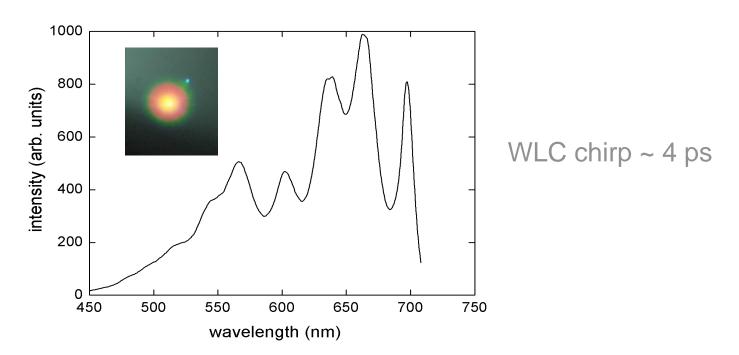
$$\sigma_E/\sigma_{01} \sim 3$$

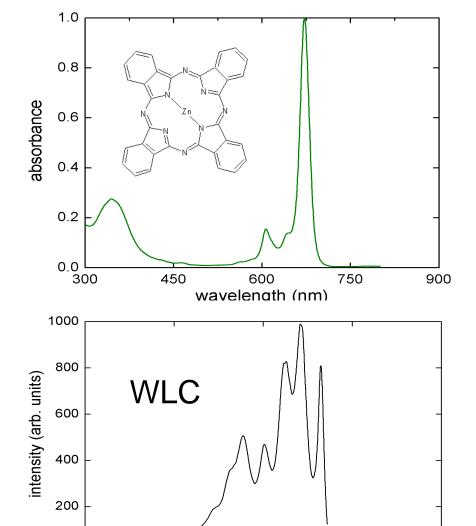
triplet quantum efficiency

$$\phi_T = \tau_f / \tau_{isc} = 0.48$$

To get the spectral response of the nonlinearity







600

wavelength (nm)

750

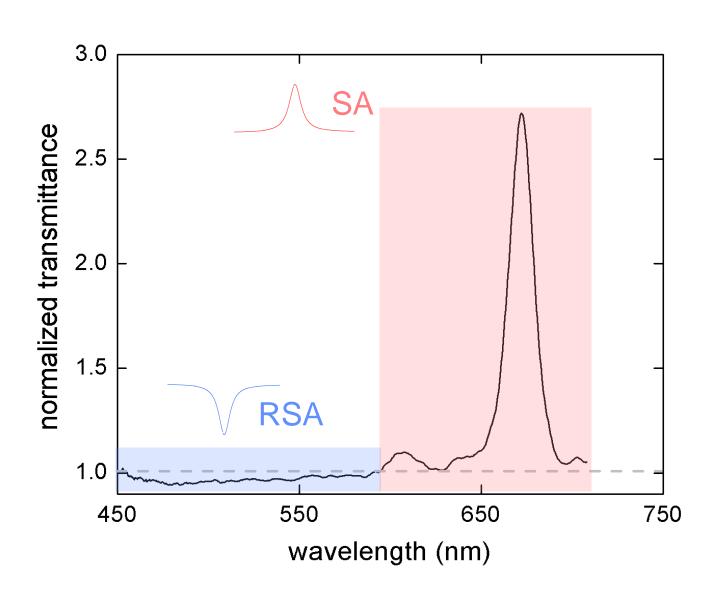
900

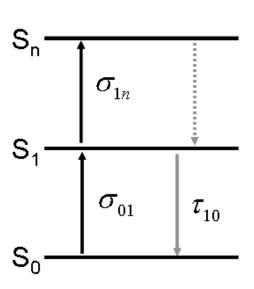
0 L 300

450

Red portion of the WLC excites ZnPc

Blue portion of the WLC probes the excited state





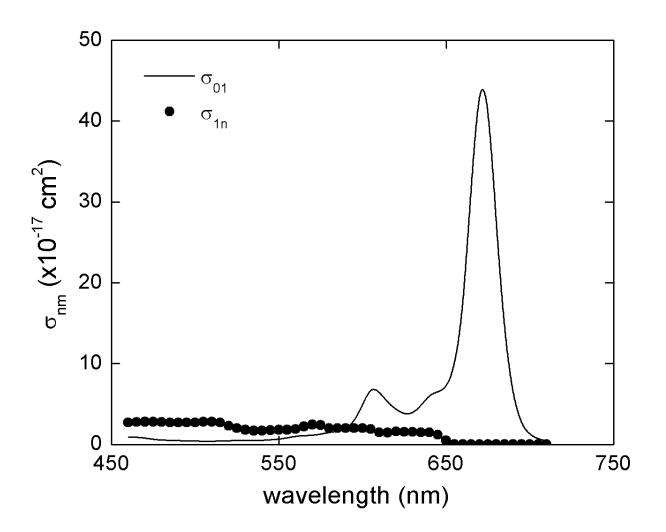
$$\frac{dn_0(t)}{dt} = -n_0(t)W_{01}(\lambda) + \frac{1 - n_0(t)}{\tau_{10}}$$

$$n_1(t) = 1 - n_0(t)$$

$$W_{01}(\lambda) = \sigma_{01}(\lambda)I/h\nu$$

$$\alpha(\lambda,t) = N[n_0(t)\sigma_{01}(\lambda) + n_1(t)\sigma_{1n}(\lambda)]$$

Here we use the WLC spectral profile and the absorption spectrum of the sample



The value at 532 nm agrees with the one obtained with the pulse train Z-scan

### Conclusion and Perspectives

We were able to determine the excited state (singlet and triplet) spectroscopic parameters of ZnPc using the pulse trains Z-scan technique

By employing the WLC Z-scan we determined the excited state crosssection spectrum (singlet state)

We now intend to apply the same techniques to the other Pc's

We also intend to perform two-photon absorption measurements in these Pc

### Acknowledgments

FAPESP, CNPq and CAPES from Brazil

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